

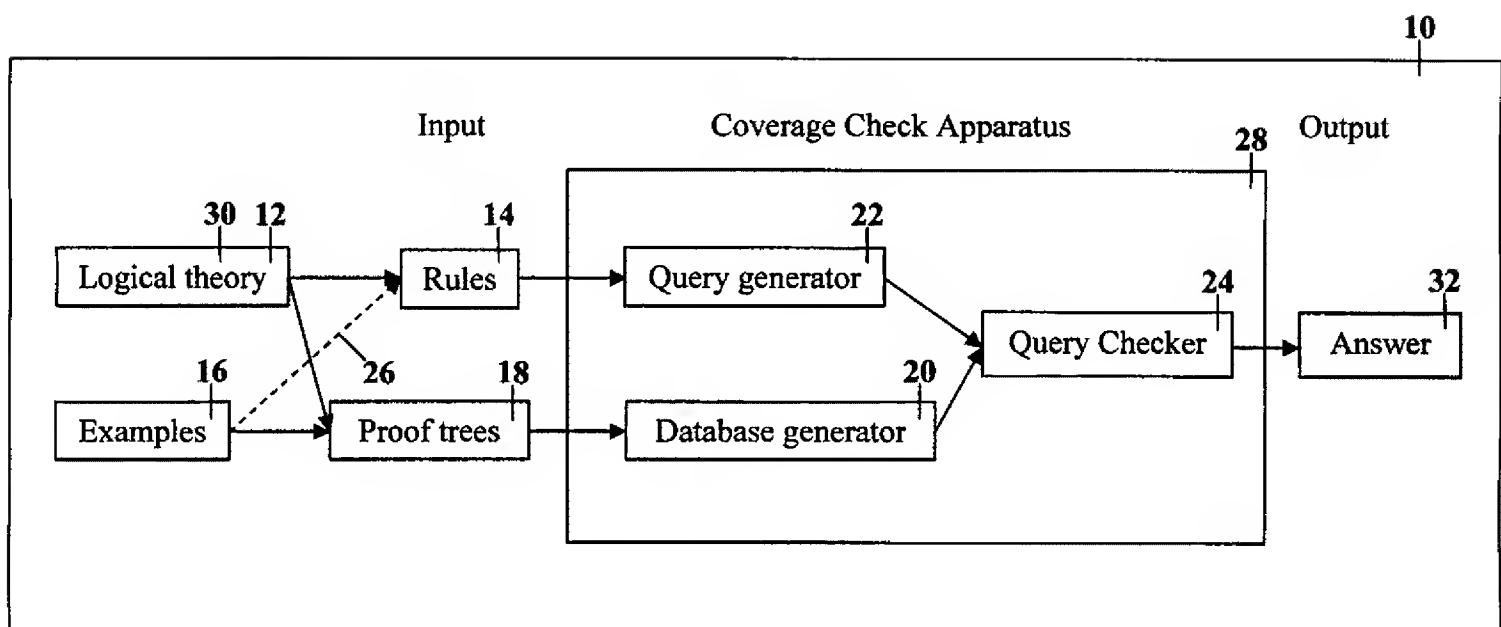
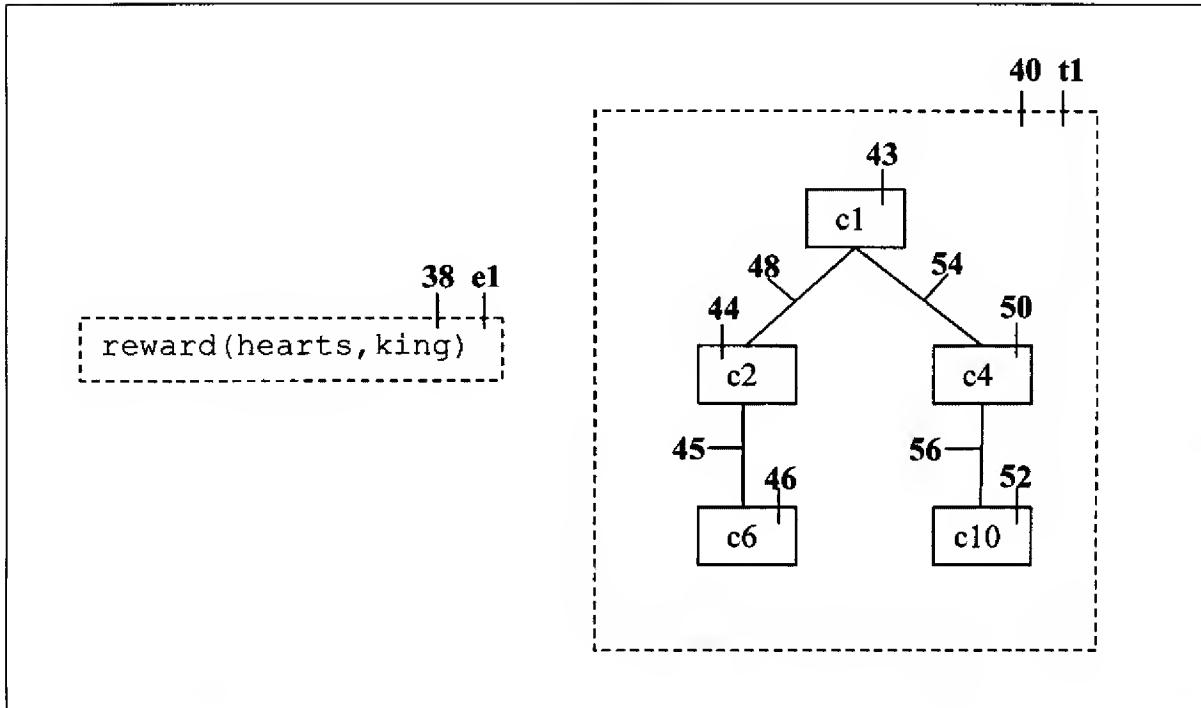
Fig.1

Fig.2

30

33 (c1) reward(Color,Value):- color(Color), value(Value).	34 (c2) color(Color):- red(Color). (c3) color(Color):- black(Color).	36 (c4) value(Value):- face(Value). (c5) value(Value):- numbered(Value).
29		
(c6) red(Color):- Color = hearts. (c7) red(Color):- Color = diamonds. (c8) black(Color):- Color = spades. (c9) black(Color):- Color = clubs. (c10) face(Value):- Value = king. (c11) face(Value):- Value = queen. (c12) face(Value):- Value = knight. (c13) numbered(Value):- Value = 1. (c14) numbered(Value):- Value = 2. (c15) numbered(Value):- Value = 3. (c16) numbered(Value):- Value = 4. (c17) numbered(Value):- Value = 5. (c18) numbered(Value):- Value = 6. (c19) numbered(Value):- Value = 7. (c20) numbered(Value):- Value = 8. (c21) numbered(Value):- Value = 9. (c22) numbered(Value):- Value = 10.		

Fig.3**Fig.4**

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Input:

an example label e ,
 a proof tree T ,
 proof tree label t ,
 a set of database tables D

Output:

a set of database tables D

For each sequence n_0, \dots, n_k in the tree T , where n_0 is the root of T and n_{i+1} is a child of n_i in T , for all $0 \leq i < k$, do

Let n be a table name obtained by a function from the sequence of pairs $(c_0, 1), (c_1, s_1), \dots, (c_k, s_k)$, where c_i is the clause used in node n_i , for $0 \leq i \leq k$ and where s_i is the s_i :th child of n_{i-1} , for $0 < i \leq k$.

If there is no table named n in D , create such a table with name n and two fields, Example and Tree, and add the table to D .

Add the tuple Example = e and Tree = t to the table named n .

Fig.5

42

Table c1

Example	Tree
e1	t1

42a

Table c1_1_c2

Example	Tree
e1	t1

42b

Table c1_1_c2_1_c6

Example	Tree
e1	t1

42c

Table c1_2_c4

Example	Tree
e1	t1

42d

Table c1_2_c4_1_c10

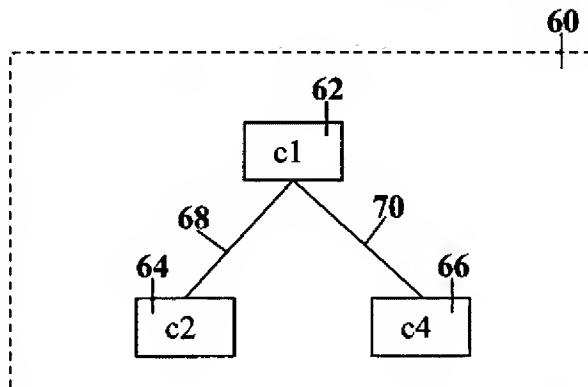
Example	Tree
e1	t1

42e

Fig.6

58

```
(r1) reward(Color,Value) :- red(Color), face(Value).
```

**Fig. 7**

22

Input:

a partial proof tree T,
an example label e,

Output:

a database query Q $\vdash 72$

Let D be the empty set

Let C be an empty conjunction

For each sequence n_0, \dots, n_k in the partial proof tree T, where n_0 is the root of T and n_{i+1} is a child of n_i in T, for all $0 \leq i < k$, do

Let n be a table name obtained by a function from the sequence of pairs $(c_0, 1), (c_1, s_1), \dots, (c_k, s_k)$, where c_i is the clause used in node n_i , for $0 \leq i \leq k$ and where s_i is the s_i :th child of n_{i-1} , for $0 < i \leq k$.

Add n to D

Add the conjunct $n.Example = e$ to C

Let $C' = C$

For each conjunct $n_i.Example = e$ in C = $(n_0.Example = e) \text{ AND } \dots \text{ AND } (n_m.Example = e)$, where $i < m$, do

Add the conjunct $n_i.Tree = n_{i+1}.Tree$ to C'

Let Q = 'SELECT * FROM' + D + 'WHERE' + C'

Fig. 8

72

```
SELECT *
FROM c1_1_c2, c1_2_c4 - 74
WHERE c1_1_c2.Example = 'e1' - 76
AND c1_2_c4.Example = 'e1' - 80
AND c1_1_c2.Tree = c1_2_c4.Tree - 82
```

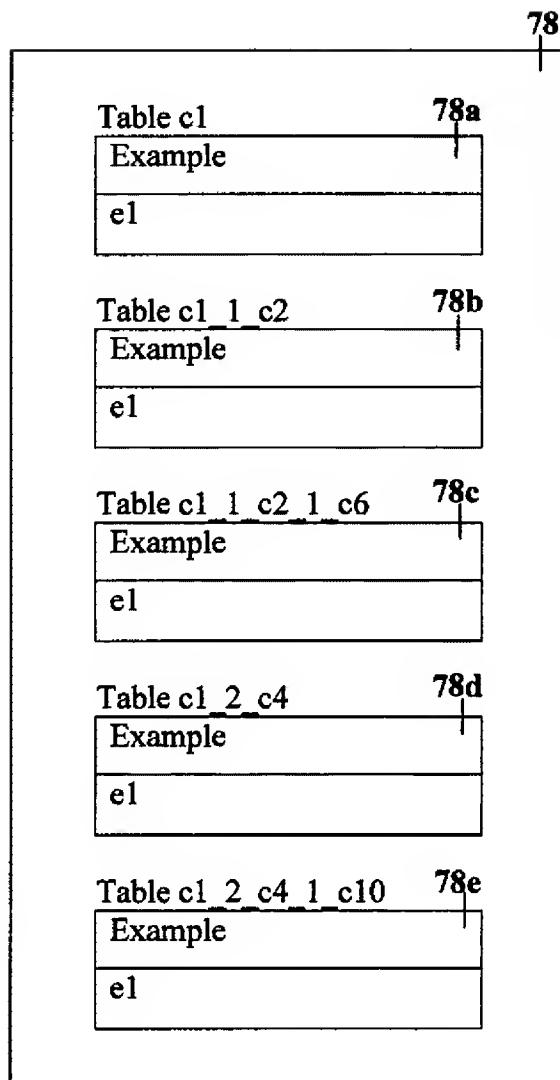
Fig.9

Fig. 10

84

```

SELECT *
FROM c1_1_c2, c1_2_c4
WHERE c1_1_c2.Example = 'e1'
AND c1_2_c4.Example = 'e1'

```

Fig. 11

86

85

(s1) reward(Weight,Length):-
 [split_number(Weight)],
 [split_number(Length)].

87

89

Fig. 12

88

```
(r2) reward(Weight,Length) :-  
    Weight > 3,  
    split_number(Weight),  
    Length = < 8.2,  
    split_number(Length).
```

Fig 13.

90

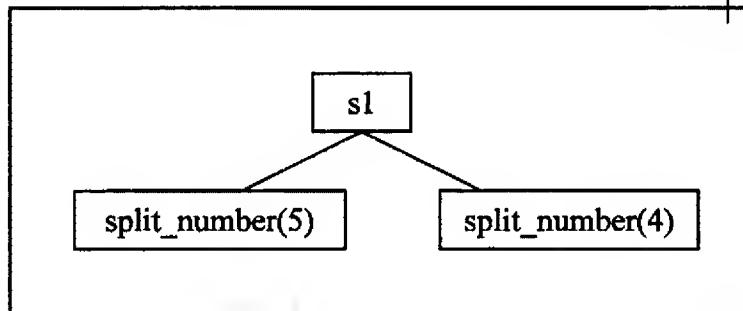


Fig. 14

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Table s1	
Example	Tree
e2	t2

Table s1_1		
Example	Tree	split_number
e2	t2	5

Table s1_2		
Example	Tree	split_number
e2	t2	4

Fig. 15

94

```

SELECT *
FROM s1_1, s1_2
WHERE s1_1.Example = 'e2'
AND s1_1.split_number > 3
AND s1_2.Example = 'e2'
AND s1_2.split_number <= 8.2
AND s1_1_c2.Tree = c1_2_c4.Tree

```